

## ma-rframe-ef<sup>11,40</sup>

$M.\text{rframe}(A.\text{effect } f \text{ of } k \text{ on } y)$   
 $\equiv_{\text{def}} \forall x \in \text{dom}((M.2.2.2.2.2.2.2.2.2).1).$

$L = (M.2.2.2.2.2.2.2.2.2).1(x) \Rightarrow$   
 $(\uparrow \text{deq-member}(\text{KindDeq}; k; L))$   
 $\vee (\forall s_1, s_2 : A.\text{state}, v : A.\text{da}(k). (s_1 \equiv s_2 \text{ mod } x) \Rightarrow (f(s_1, v) = f(s_2, v)))$

*clarification:*

$M.\text{rframe}(A.\text{effect } f \text{ of } k \text{ on } y)$   
 $\equiv_{\text{def}} \text{IdIdDeq} \forall x \in \text{dom}((M.2.2.2.2.2.2.2.2.2).1).$

$L = (M.2.2.2.2.2.2.2.2.2).1(x) \Rightarrow$   
 $(\uparrow \text{deq-member}(\text{KindDeq}; k; L))$   
 $\vee (\forall s_1 : A.\text{state}, s_2 : A.\text{state}, v : A.\text{da}(k).$   
 $\text{ma-x-equiv}(A; x; s_1; s_2) \Rightarrow (f(s_1, v) = f(s_2, v) \in \mathbb{Q} \rightarrow \text{fpf-cap}(A.1; \text{IdDeq}; y; \text{Void})))$